

# Radiometer Equation

**Dr Tom Scragg**

**20241106**

**DARA HartRAO**

# Integration Time Calculation

- The observing time required to achieve a specific Signal to Noise ratio can be calculated using the radiometer equation (Dicke 1946).
- *Ignoring the effects of Radio Frequency Interference (RFI) on the noise floor ( $T_{sys}$ ).*

$$T_{int} = \left( \frac{T_{sys}(S/N)}{GS_{psr}\sqrt{n_{pol}B_w}} \right)^2$$

# Key Parameters for an observation

$$T_{int} = \left( \frac{T_{sys}(S/N)}{G S_{psr} \sqrt{n_{pol} B_w}} \right)^2$$

## Target:

- $S_{psr}$ : Strength of the radio signal from the target in Janskys (Watts per m<sup>2</sup> per Hz)

## Telescope:

- $T_{sys}$ : System temperature, a measure of the background noise level of the telescope in degrees Kelvin (K)
- Gain: proportional to the size (collecting area) of the telescope dish and the performance of the amplifier (K per Jansky)
- $n_{pol}$ : Number of polarisations observed (generally 2)
- $B_w$ : Bandwidth of the receiver in MHz

## Variable parameters:

- $T_{int}$ : Integration time or duration of the observation in seconds
- S/N: Signal to Noise ratio, how much of a signal do we need for a detection?

# Key Parameters for a pulsar observation

## Pulsar Target:

- $S_{psr}$ : *Strength of the radio signal from the pulsar in Janskys (Watts per m<sup>2</sup> per Hz)*
- **P**: **Pulse Period in seconds**
- **W**: **Pulse width in seconds**

## Telescope:

- $T_{sys}$ : *System temperature, a measure of the background noise level of the telescope in degrees Kelvin (K)*
- *Gain: proportional to the size (collecting area) of the telescope dish and the performance of the amplifier (K per Jansky)*
- $n_{pol}$ : *Number of polarisations observed (generally 2)*
- $B_w$ : *Bandwidth of the receiver in MHz*

## Variable parameters:

- $T_{int}$ : *Integration time or duration of the observation in seconds*
- $S/N$ : *Signal to Noise ratio, how much of a signal do we need for a detection?*

# Integration Time Calculation

- The observing time required to achieve a specific Signal to Noise ratio can be calculated using the radiometer equation (Dicke 1946).
- As we do not receive radio emissions for the whole of the pulsar period a duty cycle correction,  $\sqrt{W/(P-W)}$ , is used to adapt the basic radiometer equation for pulsar observations
- *Ignoring the effects of Radio Frequency Interference (RFI) on the noise floor ( $T_{sys}$ ).*

$$T_{int} = \left( \frac{T_{sys}(S/N)}{GS_{psr}\sqrt{n_{pol}B_w} \sqrt{\frac{W}{P-W}}} \right)^2$$